

PRESENT

An Ultra-Lightweight Block Cipher

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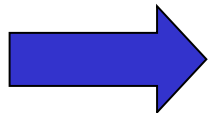
CHES 2007

Outline

- Motivation
- PRESENT Specification
- Security Analysis
- Implementation Results
- Conclusion

Why yet another Block Cipher? (1)

- Paradigm shift towards Pervasive Computing:
 - cost driven deployment
 - very constrained devices in terms of CPU, memory, power, and energy
 - small messages
- Traditionally **efficient** equivalent to high throughput
 - Known ciphers designed for high throughput, high speed, high ...

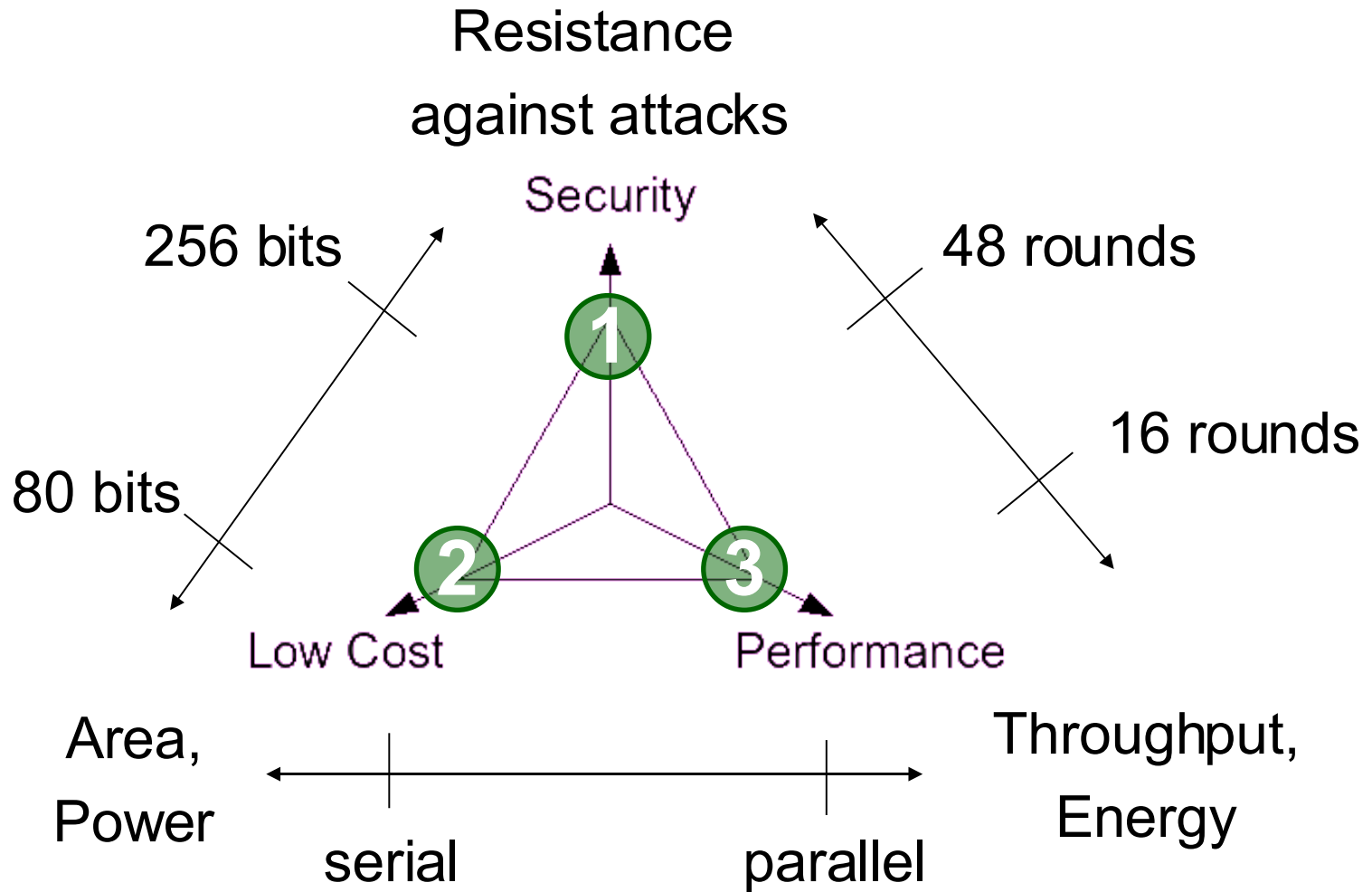


Demand for an ultra-lightweight block cipher

Why yet another Block Cipher? (2)

- Security properties well understood
- Sound building blocks and design principles available
- Block ciphers can be used
 - as stream ciphers
 - for hashing

Metric and Tradeoffs



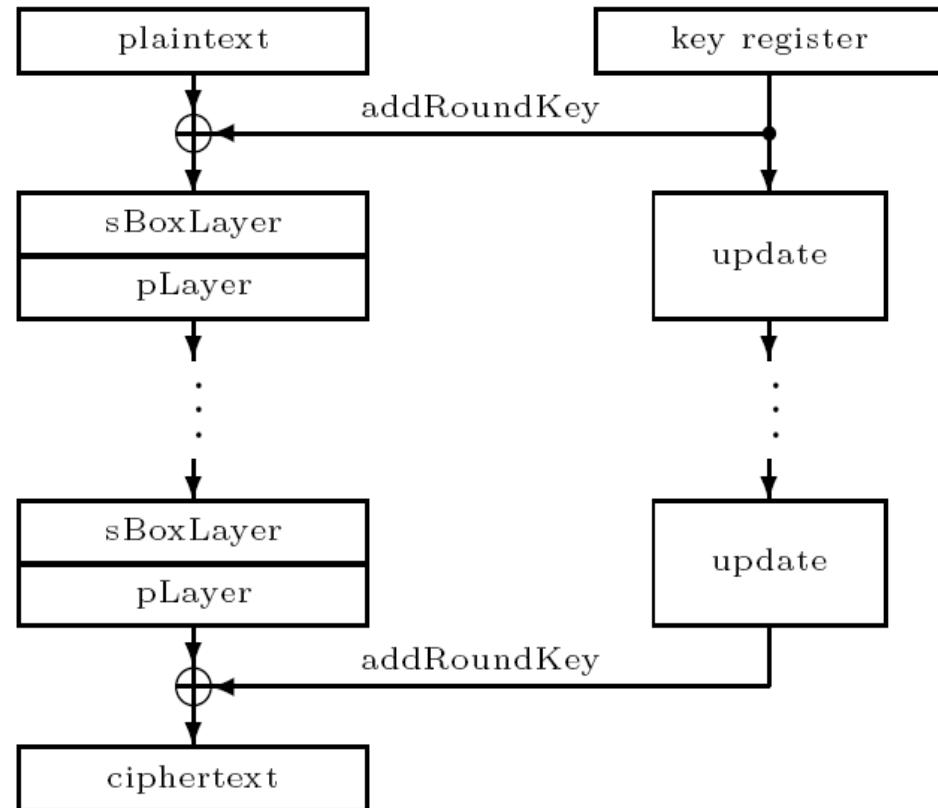
- Design goals
 - Efficient hardware implementations
 - Moderate security level (80 bits)
 - Simplicity
- Small amounts of plaintexts
- encryption only core
- Metrics:
 1. Security
 2. Area, Power
 3. Speed

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Top Level Description of PRESENT

```
generateRoundKeys()  
for  $i = 1$  to 31 do  
    addRoundKey( $STATE, K_i$ )  
    sBoxLayer( $STATE$ )  
    pLayer( $STATE$ )  
end for  
addRoundKey( $STATE, K_{32}$ )
```



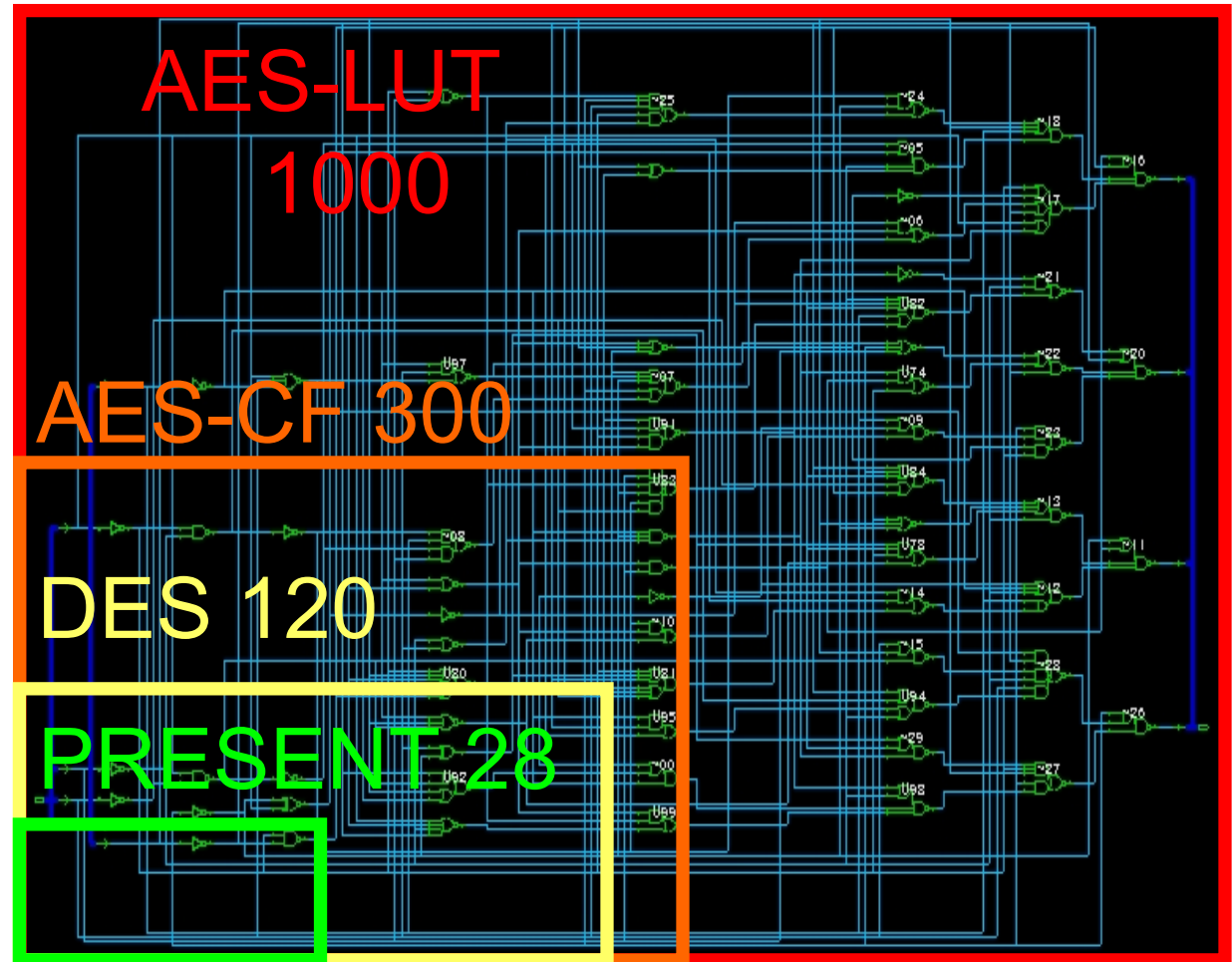
S-Boxes in Hardware

- LUT are realized as boolean functions
- Highly non-linear
- High boolean complexity
- Big area

8 x 8

6 x 4

4 x 4



We denote the Fourier coefficient of S by

$$S_b^W(a) = \sum_{x \in \mathbb{F}_2^4} (-1)^{\langle b, S(x) \rangle + \langle a, x \rangle}.$$

- 1 For any fixed non-zero input difference $\Delta_I \in \mathbb{F}_2^4$ and any fixed non-zero output difference $\Delta_O \in \mathbb{F}_2^4$ we require

$$\#\{x \in \mathbb{F}_2^4 \mid S(x) + S(x + \Delta_I) = \Delta_O\} \leq 4.$$

- 2 For any fixed non-zero input difference $\Delta_I \in \mathbb{F}_2^4$ and any fixed output difference $\Delta_O \in \mathbb{F}_2^4$ such that $\text{wt}(\Delta_I) = \text{wt}(\Delta_O) = 1$ we have

$$\{x \in \mathbb{F}_2^4 \mid S(x) + S(x + \Delta_I) = \Delta_O\} = \emptyset.$$

- 3 For all non-zero $a \in \mathbb{F}_2^4$ and all non-zero $b \in \mathbb{F}_4$ it holds that $|S_b^W(a)| \leq 8$.
- 4 For all $a \in \mathbb{F}_2^4$ and all non-zero $b \in \mathbb{F}_4$ such that $\text{wt}(a) = \text{wt}(b) = 1$ it holds that $S_b^W(a) = \pm 4$.

PRESENT S-Box

x	0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
$S[x]$	C	5	6	B	9	0	A	D	3	E	F	8	4	7	1	2

- Smallest 4x4 S-Boxes in hardware (28 GE)
- Fullfilling above conditions

PRESENT Permutation

i	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
$P(i)$	0	16	32	48	1	17	33	49	2	18	34	50	3	19	35	51

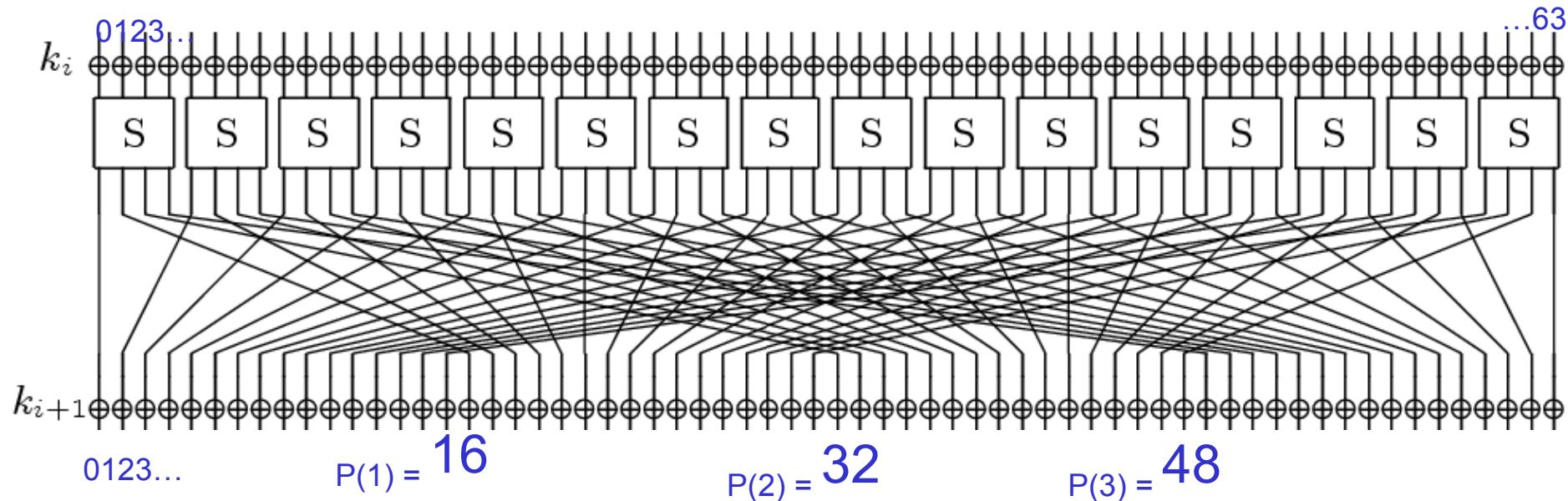
i	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
$P(i)$	4	20	36	52	5	21	37	53	6	22	38	54	7	23	39	55

i	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47
$P(i)$	8	24	40	56	9	25	41	57	10	26	42	58	11	27	43	59

i	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63
$P(i)$	12	28	44	60	13	29	45	61	14	30	46	62	15	31	47	63

- Simple bit permutation

PRESENT Permutation - in Hardware



- Just wires
- No transistors required
- No delay



0 GE
(some wiring)

PRESENT Key Schedule

Notation:

- K 80-bit key register
- At round 1: $K = k_{79}k_{78}\dots k_1k_0$ = initial key
- At round i: $K_i = k_{79}k_{78}\dots k_1k_{16}$ = roundkey for round i

Updating K:

2. $[k_{79}k_{78}\dots k_1k_0] = [k_{18}k_{17}\dots k_{20}k_{19}]$
3. $[k_{79}k_{78}k_{77}k_{76}] = S[k_{79}k_{78}k_{77}k_{76}]$
4. $[k_{19}k_{18}k_{17}k_{16}k_{15}] = [k_{19}k_{18}k_{17}k_{16}k_{15}] \text{ XOR round_counter}$

Outline

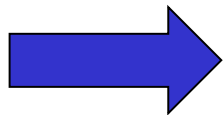
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Differential Cryptanalysis

Theorem 1:

Any 5-round differential characteristic of PRESENT has at least 10 active S-Boxes.

- Any differential characteristic over 25 rounds must have at least 50 active S-Boxes
- Maximum differential characteristic is 2^{-2}
- Probability of 25-round characteristic is bounded by $(2^{-2})^{50} = 2^{-100}$



$2^{100} \gg 2^{64}$ (available PT/CT pairs)

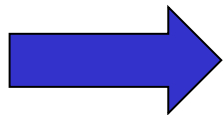
$2^{100} \gg 2^{80}$ (key size)

Linear Cryptanalysis

Theorem 2:

Let ε_{4R} be the maximal bias of a linear approximation of four rounds of PRESENT. Then $\varepsilon_{4R} \leq 2^{-7}$.

- The maximum bias of a 28-round linear approximation is $2^6 \times (\varepsilon_{4R})^7 = 2^6 \times (2^{-7}) = 2^{-43}$
- About $(2^{43})^2 = 2^{86}$ known PT/CT pairs required

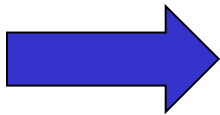


$2^{86} \gg 2^{64}$ (available plaintext)

$2^{86} \gg 2^{80}$ (key size)

Algebraic Cryptanalysis

- The PRESENT 4 x 4 S-Boxes can be described by 21 equations over $GF(2)$ using 8 variables
 - $21 \times 17 \times 31 = 11,067$ quadratic equations
 - $8 \times 17 \times 31 = 4,216$ variables
- Small scale version analyzed
 - 7 S-Boxes
 - 28 bit block
 - 2 rounds

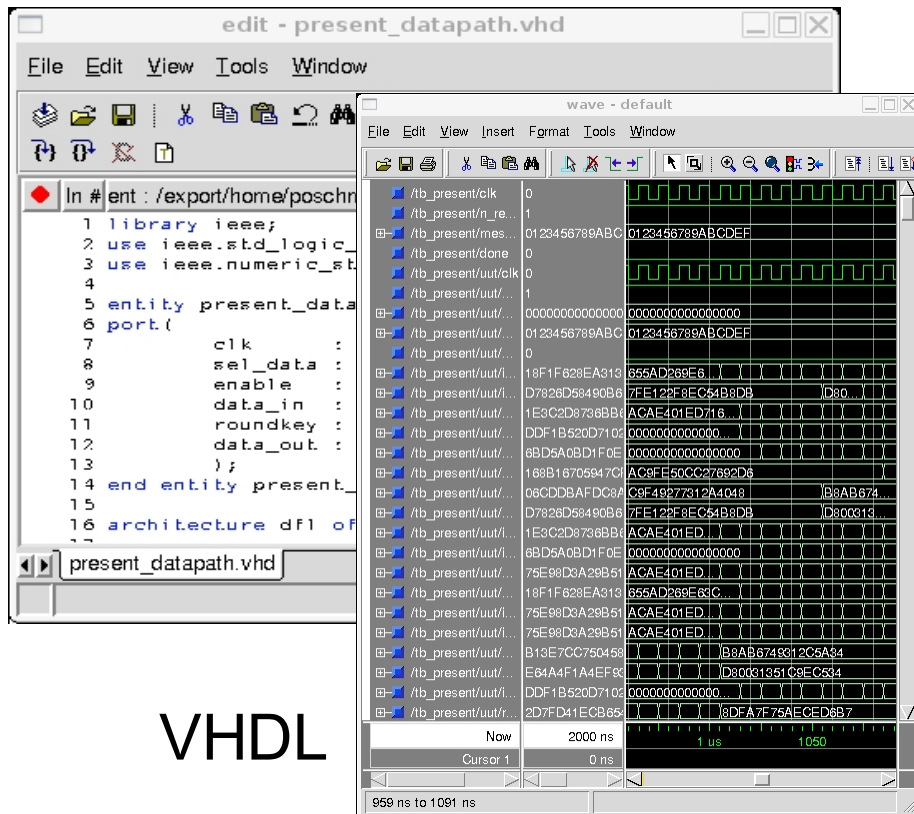


Buchberger and F_4 algorithm fail to deliver a solution in a reasonable time for this 2-round 28-bit mini-PRESENT

Outline

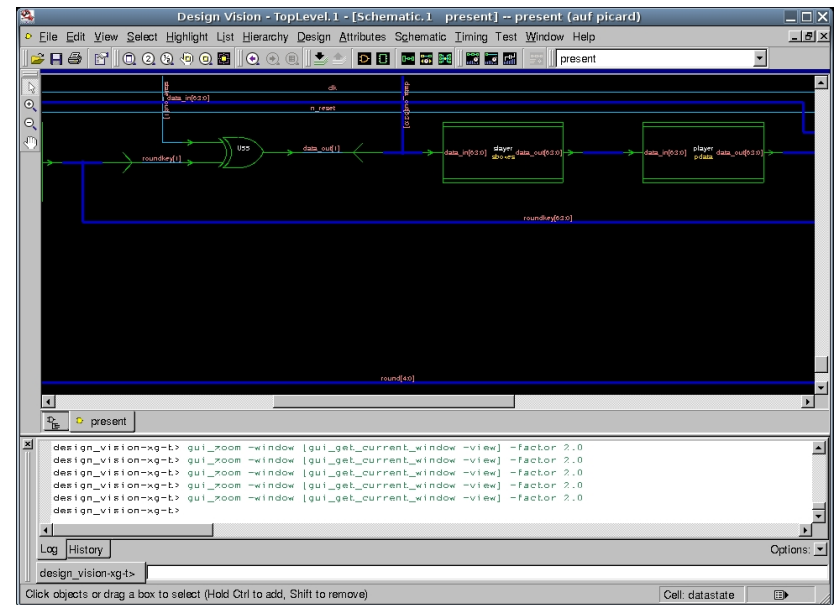
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Mentor Graphics ModelSim SE Plus 5.8c



VHDL

Synopsys DesignCompiler Y- 2006-06



Virtual Silicon
UMCL18G212T3

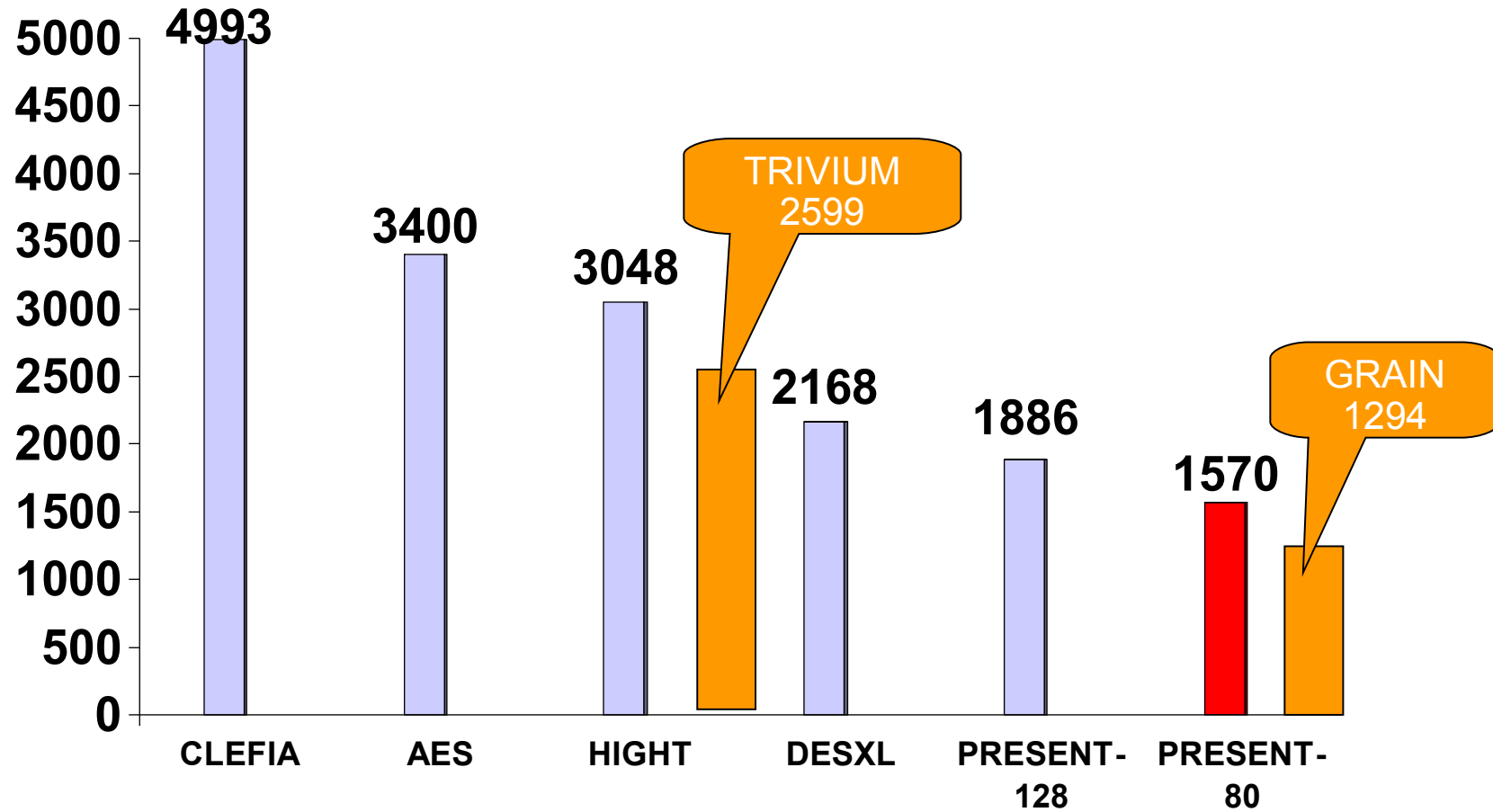
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Axel Poschmann

Comparison of Lightweight Ciphers



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- Presented the new block cipher PRESENT
- SPN with 64-bit state, 80-bit key, 31 rounds
- Based on well-known design principles (feature)
- Very small footprint in hardware (1570 GE)
- Low power estimates (5 μ W)
- Lightweight block ciphers have similar footprint as stream ciphers

Please try to break PRESENT!

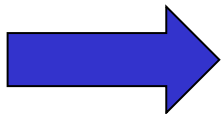
Thank you!
Questions?

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PRESENT Permutation - Further Notes

i	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
$P(i)$	0	16	32	48	1	17	33	49	2	18	34	50	3	19	35	51

$$P(i) = \begin{cases} 16 * i \bmod 63, & 1 \leq i \leq 62 \\ i, & i \in \{0, 63\} \end{cases}$$



- Involution $P(P(P(i))) = i$
- Could be useful for serialization